

# Moscova 07

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# Research

## Part 1

# Type-safe communication – *Acute*

- communicating values of **abstract** data types and **preserving** abstraction between 2 distinct run-times;
- incompatibility is not visible on type signatures; concrete representation must be described in passed values.
- type theory of ML modules with hashes of implementation.  
[Sewell, Leifer, Peskine, Zappa Nardelli -- 2 × ICFP]
- extension to records with horizontal subtyping  
[Leifer, Deniélou -- ICFP 06]
- extension to nested and polymorphic modules  
[Peskine, PhD]
- prototype on top of FreshOcaml
  - + dynamic linking
  - + modules versioning[Sewell, Habouzit, Leifer, Peskine, Zappa Nardelli -- ICFP]

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# Process algebras — Pattern Matching

## Process algebras

- equivalences in Mobile Ambients  
[Zappa Nardelli, Mero -- JACM 06]
- reversible processes  
[Krivine, Danos -- Concur 05-06]
- link graphs, bi-graphs  
[Leifer, Milner -- MSCS 06]

## Pattern matching

- disjunctive patterns + warnings in Ocaml  
[Maranget, JFP 07]
- synchronization by pattern matching in Jocaml  
[Ma Qin, PhD 05 + Concur 04]
- pattern matching a la XML/Cduce in Jocaml (future plan)

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- pattern matching a la XML/Cduce in Jocaml (future plan)

- new implementation (without mobility)  
[Maranget]
- with manual and tutorial  
[Mandel, Maranget]
- compatible with new releases of Ocaml



Join Patterns are in Polyphonic C#

# Research

## Part 2

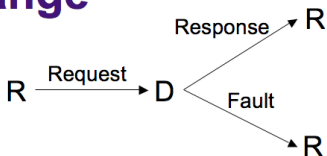


- passing authenticated (**signed**) values between 2 *run-times*;
- design of a mini **F#** + primitives for authentication  
+ global contract with **sessions types**;  
[Corin, Deniélou, Fournet, Bhargavan, CSFW'07]
- compiling scheme into a low-level language ( $\simeq$  pi-calculus)  
to describe authentication protocols;
- formal proof of its correctness, with **security property** induced by  
strong typing of F# + usage of authentication primitives.
- extension to other security properties  
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# Simple Exchange



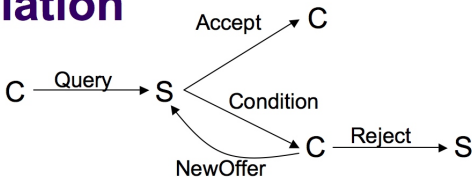
```
session S =  
  role requester : int =  
    !Request:string ;  
    ?(Response:int + Fault:unit)  
  
  role directory : string =  
    ?Request:string;  
    !(Response:int + Fault:unit)
```

Session declaration

```
let lookup name =  
  S.requester ["client";"server"]  
    (Request  
      (name,  
        {hResponse = (fun _ q → q);  
         hFault = (fun _ x → failwith "Failed")  
        })))  
in lookup "Ricardo"
```

User code

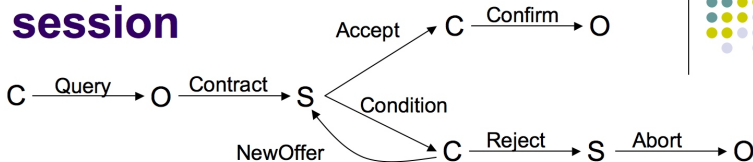
# Two-party negotiation



```
session S2 =
  role customer : string =
    !Query:int;
    mu start.?(Accept:unit +
                Condition:unit;!(NewOffer:int;start + Reject:unit))

  role store : string=
    ?Query:int;
    mu start.!(Accept:unit +
                Condition:unit;?(NewOffer:int;start + Reject:unit))
```

# Three-party session



**session** S3 =

**role** customer :string =

!Query:int;

mu start.?(Accept:unit;!Confirm:unit +

Condition:unit; !(Newoffer:int;start + Reject:unit;))

**role** store :string=

?Contract:int;

mu start.!(Accept:unit +

Condition:unit; ?(Newoffer:int;start + Reject:unit;!Abort:unit))

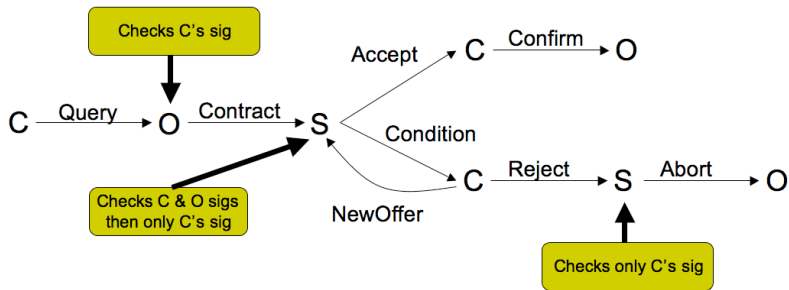
**role** officer :string=

?Query:int;!Contract:int;?(Confirm:unit + Abort:unit)

# Visibility



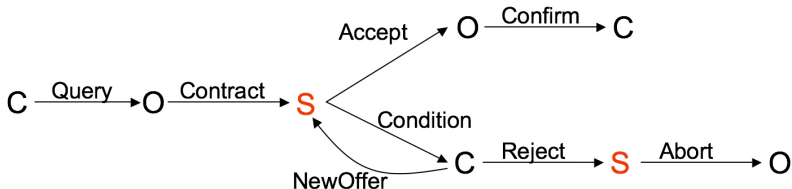
- Minimal sequence of signatures that guarantee session compliance.
- Example:



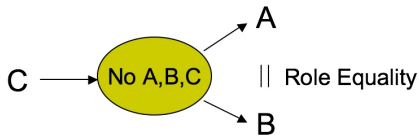


# No Blind Fork

- Some forks in protocols represent a security threat.



- Property





- formal semantics of SML or Acute are too large (40-80 pages)
- $\Rightarrow$  tools for complete definitions of full languages
- problems:
  1. Readability and writability
  2. Consistency of definitions
  3. Correctness of proofs
  4. Relationship semantics/implementations
- *OTT*
  - ▶ ASCII as input
  - ▶ outputs to TeX, Isabelle, HOL, Coq
  - ▶ proofs are still manual

[Sewell, Zappa Nardelli]

[demo]

# Call-by-value $\lambda$ -calculus (2/4 – TeX)

*termvar*,  $x$     term variable

$t$	::=		term
	$x$		variable
	$\lambda x . t$	bind $x$ in $t$	lambda
	$t t'$		app

$v$	::=		value
	$\lambda x . t$		lambda



$t_1 \longrightarrow t_2$      $t_1$  reduces to  $t_2$

$$\frac{}{(\lambda x . t_{12}) v_2 \longrightarrow \{v_2 / x\} t_{12}} \quad \text{AX}$$

$$\frac{t_1 \longrightarrow t'_1}{t_1 t \longrightarrow t'_1 t} \quad \text{CTXL}$$

$$\frac{t_1 \longrightarrow t'_1}{v t_1 \longrightarrow v t'_1} \quad \text{CTXR}$$

# Call-by-value $\lambda$ -calculus (1/4 – Ott)

```
metavar termvar, x ::=  {{ tex \mathit{[[termvar]]} }}  {{ com term variable }}
  {{ isa string}} {{ coq nat}} {{ hol string}} {{ coq-equality }}
  {{ ocaml int}} {{ lex alphanum}}
```

## grammar

```
t :: 't_' ::=                                {{ com term    }}
  | x          ::  :: Var                    {{ com variable}}
  | \ x . t    ::  :: Lam (+ bind x in t +)  {{ com lambda  }}
  | t t'       ::  :: App                    {{ com app     }}
  | ( t )      :: M :: Paren                  {{ icho [[t]]  }}
  | { t / x } t' :: M :: Tsub                 {{ icho (tsubst_t [[t]] [[x]] [[t'])}}}
```

```
v :: 'v_' ::=                                {{ com value    }}
  | \ x . t    ::  :: Lam                    {{ com lambda  }}
```

```
subrules v <:: t          substitutions single t x :: tsubst
```

```
defns Jop :: '' ::=
```

```
  defn t1 --> t2 :: :: reduce :: '' {{ com [[t1]] reduces to [[t2]]}} by
```

-----	ax	t1 --> t1'	-----	ctxL	t1 --> t1'	-----	ctxR
(\x.t12) v2 -->	{v2/x}t12	v t1 --> v t1'			t1 t --> t1' t		

# Call-by-value $\lambda$ -calculus (3/4 – Coq)

```
Definition termvar_t := nat.
```

```
Lemma eq_termvar_t: forall (x y : termvar_t), {x = y} + {x <> y}. Proof. decide equality. Defined.
```

```
Inductive t_t : Set :=
```

```
  t_Var : termvar_t -> t_t  
| t_Lam : termvar_t -> t_t -> t_t  
| t_App : t_t -> t_t -> t_t.
```

```
Definition is_v (t0:t_t) : Prop :=
```

```
  match t0 with  
  | (t_Var x) => False  
  | (t_Lam x t) => (True)  
  | (t_App t t') => False end.
```

```
Fixpoint tsubst_t (t0:t_t) (termvar0:termvar_t) (t1:t_t) {struct t1} : t_t :=
```

```
  match t1 with  
  | (t_Var x) => if eq_termvar_t x termvar0 then t0 else (t_Var x)  
  | (t_Lam x t) => t_Lam x (if list_mem eq_termvar_t termvar0 (cons x nil) then t else (tsubst_t t0 termvar0 t))  
  | (t_App t t') => t_App (tsubst_t t0 termvar0 t) (tsubst_t t0 termvar0 t') end.
```

```
Inductive E : t_t -> t_t -> Prop :=
```

```
  | ax : forall v2 x t12, is_v v2 -> E (t_App T v2) (tsubst_t v2 x t12 )  
  | ctxL : forall t1 t1' t, E t1 t1' -> E (t_App t1 t) (t_App t1' t)  
  | ctxR : forall t1 v t1', is_v v -> E t1 t1' -> E (t_App v t1) (t_App v t1').  
□
```

# Call-by-value $\lambda$ -calculus (4/4 – Isabelle)

...and for Isabelle...

```
theory out = Main:
types termvar = "string"

datatype t =
  t_Var "termvar"
| t_Lam "termvar" "t"
| t_App "t" "t"

consts is_v :: "t => bool"
primrec
"is_v ((t_Var x)) = False"
"is_v ((t_Lam x t)) = (True)"
"is_v ((t_App t t')) = False"

consts tsubst_t :: "t => termvar => t => t"
primrec
"tsubst_t t0 termvar0 (t_Var x) = (if x=termvar0 then t0 else (t_Var x))"
"tsubst_t t0 termvar0 (t_Lam x t) = (t_Lam x (if termvar0 mem [x] then t else (tsubst_t t0 termvar0 t)))"
"tsubst_t t0 termvar0 (t_App t t') = (t_App (tsubst_t t0 termvar0 t) (tsubst_t t0 termvar0 t'))"

consts E :: "(t*t) set" inductive E
intros
ax_appI: "[|is_v v2|] ==> ( (t_App T v2) , ( tsubst_t v2 x t12 ) ) : E"
ctx_app_funI: "[| ( t1 , t1' ) : E|] ==> ( (t_App t1 t) , (t_App t1' t) ) : E"
ctx_app_argI: "[|is_v v ; ( t1 , t1' ) : E|] ==> ( (t_App v t1) , (t_App v t1') ) : E"
end
```

# Lists: a more typical not-so-mini example

$$\frac{\begin{array}{l} E \vdash e_1 : t_1 \quad \dots \quad E \vdash e_n : t_n \\ E \vdash \text{field\_name}_1 : t \rightarrow t_1 \quad \dots \quad E \vdash \text{field\_name}_n : t \rightarrow t_n \\ t = (t'_1, \dots, t'_l) \text{ typeconstr\_name} \\ E \vdash \text{typeconstr\_name} \triangleright \text{typeconstr\_name} : \text{kind} \{ \text{field\_name}'_1; \dots; \text{field\_name}'_m \} \\ \text{field\_name}_1 \dots \text{field\_name}_n \text{ PERMUTES } \text{field\_name}'_1 \dots \text{field\_name}'_m \\ \text{length}(e_1) \dots (e_n) \geq 1 \end{array}}{E \vdash \{ \text{field\_name}_1 = e_1; \dots; \text{field\_name}_n = e_n \} : t}$$
  
$$\frac{\begin{array}{l} E \vdash e_1 : t_1 \quad \dots \quad E \vdash e_n : t_n \\ E \vdash \text{field\_name}_1 : t \rightarrow t_1 \quad \dots \quad E \vdash \text{field\_name}_n : t \rightarrow t_n \\ t = (t_1', \dots, t_l') \text{ typeconstr\_name} \\ E \vdash \text{typeconstr\_name} \text{ gives } \text{typeconstr\_name} : \text{kind} \{ \text{field\_name}'_1; \dots; \text{field\_name}'_m \} \\ \text{field\_name}_1 \dots \text{field\_name}_n \text{ PERMUTES } \text{field\_name}'_1 \dots \text{field\_name}'_m \\ \text{length}(e_1) \dots (e_n) \geq 1 \end{array}}{\text{-----} ::} \\ E \vdash \{ \text{field\_name}_1 = e_1; \dots; \text{field\_name}_n = e_n \} : t$$

- proof of the subject reduction theorem for Ocaml without objects + modules in 7 weeks (3 Harper-years)

### Existing

- Coq library for Peter O'Hearn's logic  
[Yonezawa et al]
- for very simple imperative languages  
(no types, no functions, no recursivity)
- POH developed a separation logic for concurrency, on top of a unrealistic model (not implementable)  
⇒ need for relaxing the model

### To do

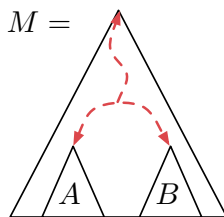
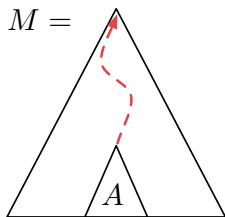
- building a new framework for formal proofs
- example: prove the correctness of *reverse* in C minor
- make proofs of *lock-free* programs  
[Appel, Blazy, Zappa Nardelli]

- maintaining the implementation;
- better design of active mobility;
- transform Jocaml in a platform for implementing various kinds of distributed processing.





- stack inspection for JVM/CLR  
[Fournet, Gordon, Blanc]
- relate flow analysis and theory of history in the  $\lambda$ -calculus  
[Blanc, Lévy]



# Software

and

# Extras

# Extra softwares – Contracts

- 5% Ocaml (pattern matching)  
[Maranget]
- Hévéa: an efficient translator of Tex into Html  
[Maranget]
- Advix: efficient previewer of Dvi  
[Rémy, Zappa Nardelli]

(not enough many)



- Joint Centre with Microsoft Research
- ANR Parsec with Mimosa, Everest, Lande, PPS

# Teaching

- MPRI (master course at Paris 7)
- Ecole polytechnique
  - [Lévy on leave 1/1/06 -- 1/1/08, Maranget]
  - lecture notes + web pages + book
  - “Introduction à la théorie des langages de programmation”
  - with [Dowek], similar plan with [Cori]
- Entrance examination at Polytechnique
  - [Maranget (4 years), Lévy since beginning]
- Bertinoro, Bangalore, etc.

(too undergraduate)

# Personal et history

- 1 DR (Lévy), 2 CR1 (Maranget, Leifer), 1 CR2 (Zappa Nardelli)
- 2 PhD students: Peskine, Deniélou
- 1 post-doc: Mandel
- 1 invited professor: Appel (Princeton)
- 1 assistant (S. Loubressac), also Head of SAPR
  
- Moscova history:
  - ▶ **Para** (en 88), Head: Lévy
  - ▶ **Moscova** (en 00), Head: Gonthier
  - ▶ 15 PhDs: Fournet[msr], le Fessant[futurs], Schmitt[grenoble], Melliès[pps], Pouzet[orsay], Conchon[orsay], Doligez, Maranget, ... Laneve, Ariola.
  - ▶ in Para/Moscova: **75% Coq proof of the 4-color thm**; debugging of 3 modules of Ariane-501 PV; spinoff of Polyspace [**Deutsch**]; etc.
  - ▶ **recent departures**: Gonthier[msr], Doligez[gallium], Hardin[p6], 3 PhD students have just finished.

# Conclusion

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- Moscova once more in reconfiguration phase
- need for new researchers
- need for new PhD students
- Moscova should be more involved in softwares

